

Primordial Black Holes and their relics

LQG relics: **26/05.28953**

+ upcoming work on generic stabilization

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Statement

Give me an early universe and inject **any fraction** of PBHs of mass $m_{\text{PBH}}^{(i)} = 10^3$ kg. The result will systematically yield a universe where the **dark matter** is solely composed of Planckian remnants, and Hawking evaporation entirely **reheats** the Universe.

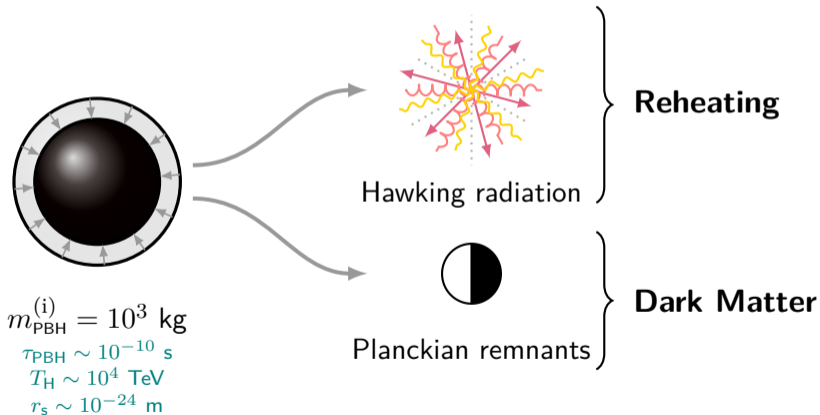


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Framework

Cosmological framework & Relic mass spectrum



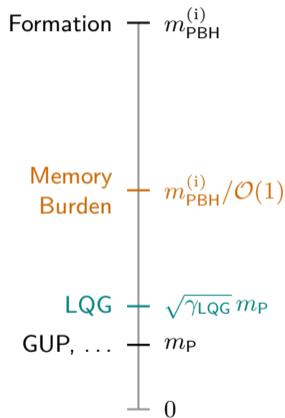
- FLRW + early inflationary phase.
- Standard dynamics :

$$H^2 \simeq H_0^2 \left(\Omega_r e^{-4N} + \Omega_m e^{-3N} + \dots \right)$$

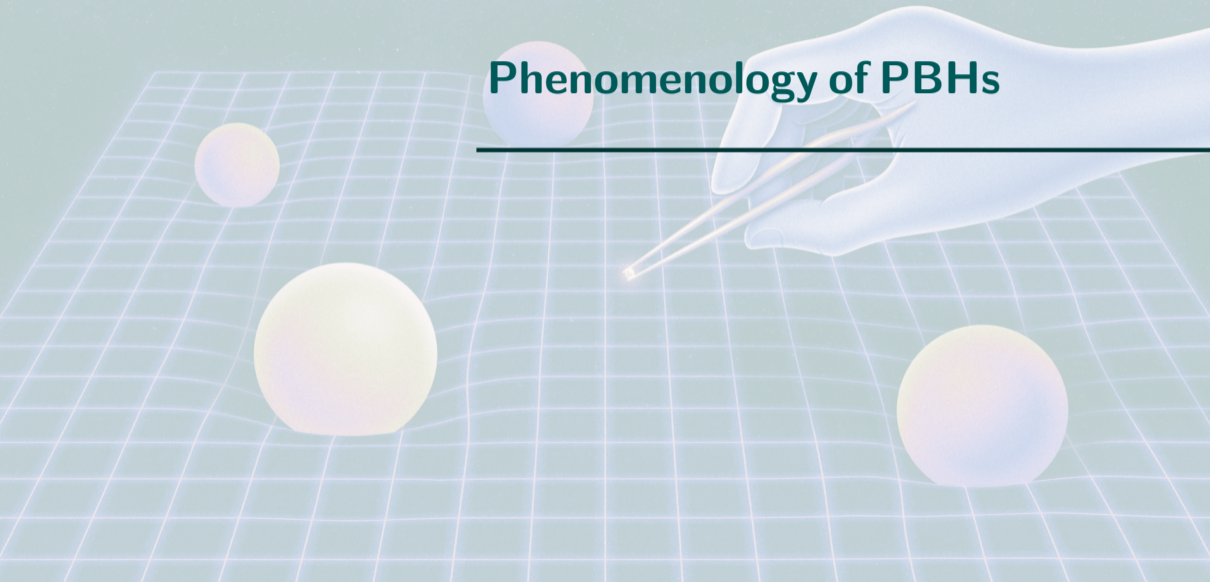
- Initial PBH mass \sim Hubble mass :

$$m_{\text{PBH}}^{(i)} \approx \frac{1}{H_{\text{form}}} \sim t_{\text{form}}$$

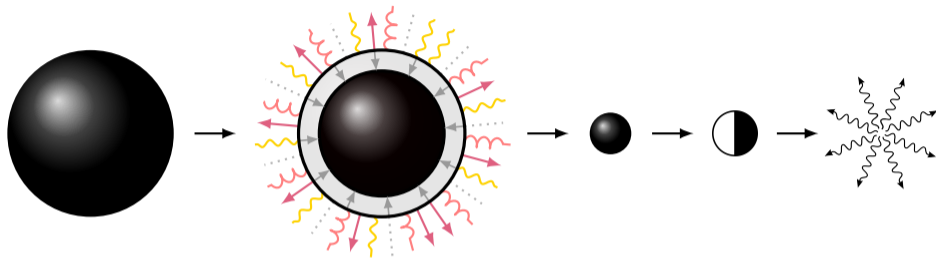
(Monochromatic mass distribution)



Phenomenology of PBHs



Phenomenology of PBHs



$$\beta \equiv \rho_{\text{PBH}} / \rho_{\text{tot}} \text{ at formation}$$

$$m_{\text{PBH}}^{(i)}$$

$$N_i$$

$$\tau_{\text{PBH}} \sim \left(m_{\text{PBH}}^{(i)}\right)^3$$

$$m_{\text{REM}} \sim m_{\text{P}}$$

$$\tau_{\text{REM}} \sim \left(m_{\text{PBH}}^{(i)}\right)^{3+k}$$

Phase P0
pre-formation

Phase P1
era with PBHs

$$N_b$$

Phase P2
era with remnants

$$N_r$$

~~Phase P3~~
era without remnants

Implementation



Implementation



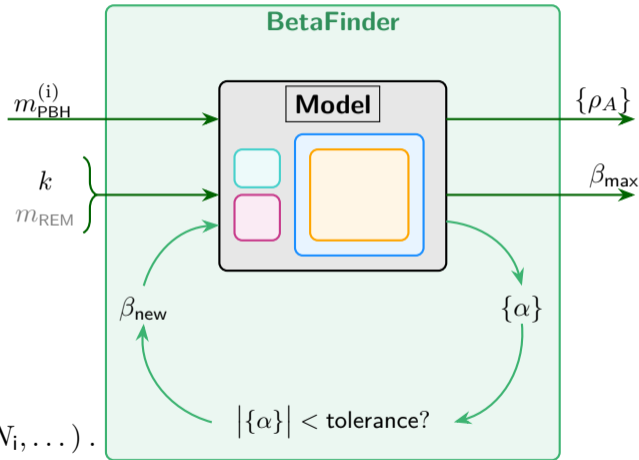
- Initial **mass**
 $m_{\text{PBH}}^{(i)} \in [10^{-3}, 10^{12}]$ kg
evaporated by today.
- Initial **abundance** $\beta \in [0, 1]$.
- The remnant **stability**
parameter $k \in [1, \infty)$.

Initial conditions :

$$\rho_A(N_i^-) = \alpha_A \rho_A^{\text{obs}} e^{-3(1+\omega_A)N_i} ,$$

so that :

$$\rho_A^{\text{model}} \Big|_0 = \rho_A^{\text{obs}} \implies \alpha_A = \alpha_A(\beta, N_i, \dots) .$$

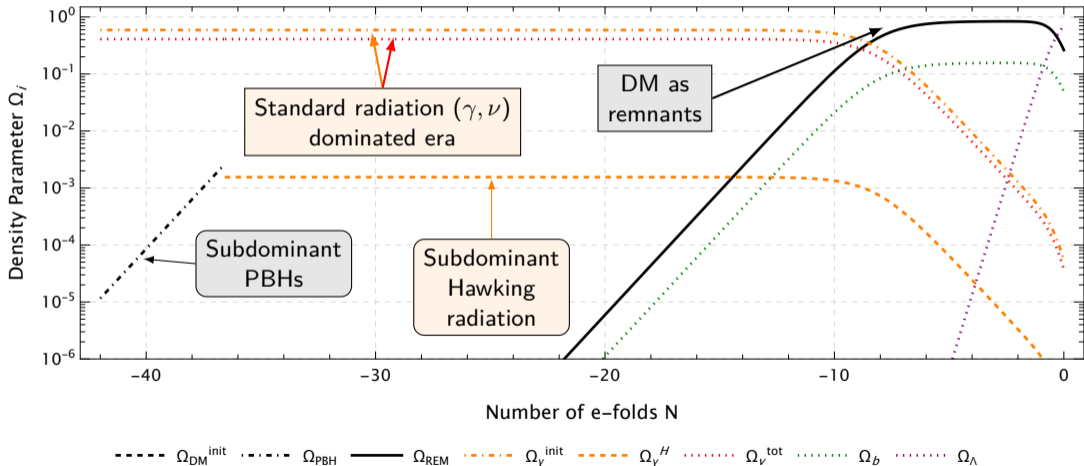


Cosmologies obtained

Cosmologies obtained : $m_{\text{PBH}}^{(i)} = 10^2 \text{ kg}$



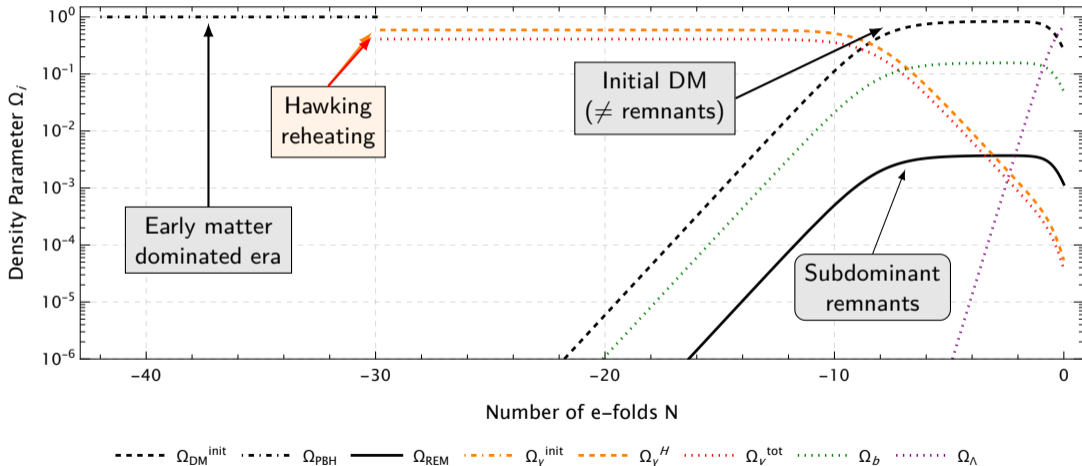
$\beta \approx 6 \cdot 10^{-14}$ and $k \geq 4$ gives **100% DM = remnant**.



Cosmologies obtained : $m_{\text{PBH}}^{(i)} = 10^4 \text{ kg}$



$\beta \approx 4 \cdot 10^{-2}$ and $k \geq 3$ gives **100% rad = Hawking**.



Cosmologies obtained



Depending on the initial mass $m_{\text{PBH}}^{(i)}$ of the PBHs, **two regimes** of cosmologies emerge.

- **Regime I** : $m_{\text{PBH}}^{(i)} \in [10^{-3}, 10^3]$ kg
Dark matter made entirely of remnants.
Example : $m_{\text{PBH}}^{(i)} = 10^2$ kg.
- **Regime II** : $m_{\text{PBH}}^{(i)} \in [10^3, 10^{12}]$ kg
Reheating through Hawking radiation
(\Rightarrow EMD era)
Example : $m_{\text{PBH}}^{(i)} = 10^4$ kg.

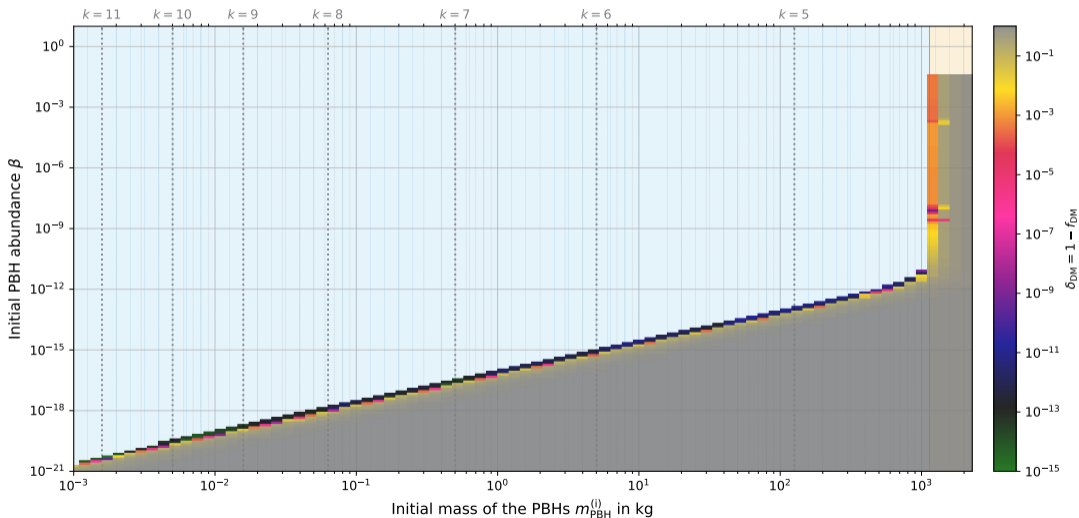
DM Saturation

$$f_{\text{DM}} = \frac{\rho_{\text{REM}}}{\rho_{\text{DM,tot}}} , \quad \delta_{\text{DM}} = 1 - f_{\text{DM}} .$$

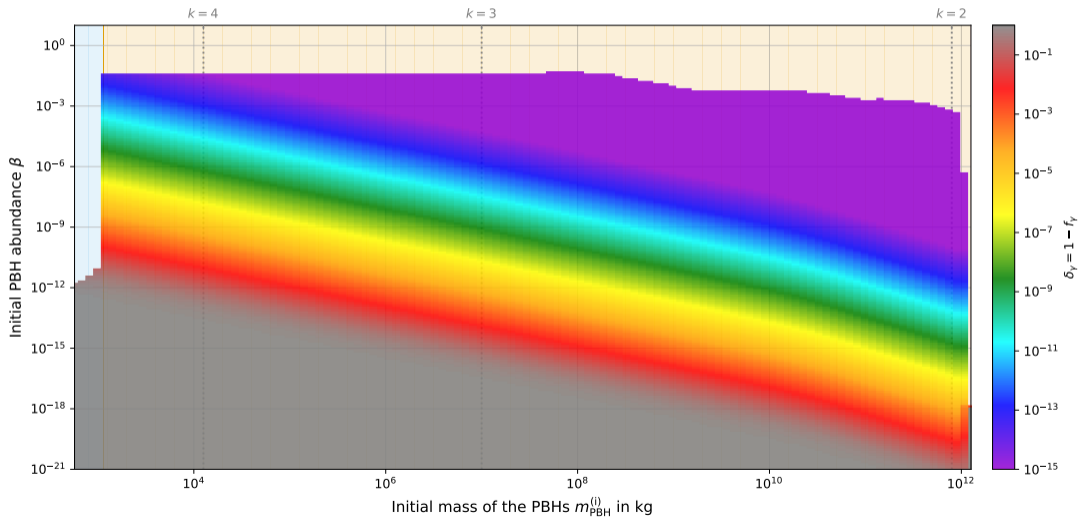
Radiation Saturation

$$f_{\gamma} = \frac{\rho_{\gamma}^{\text{H}}}{\rho_{\gamma,\text{tot}}} , \quad \delta_{\gamma} = 1 - f_{\gamma} .$$

Cosmological constraints : regime I



Cosmological constraints : regime II

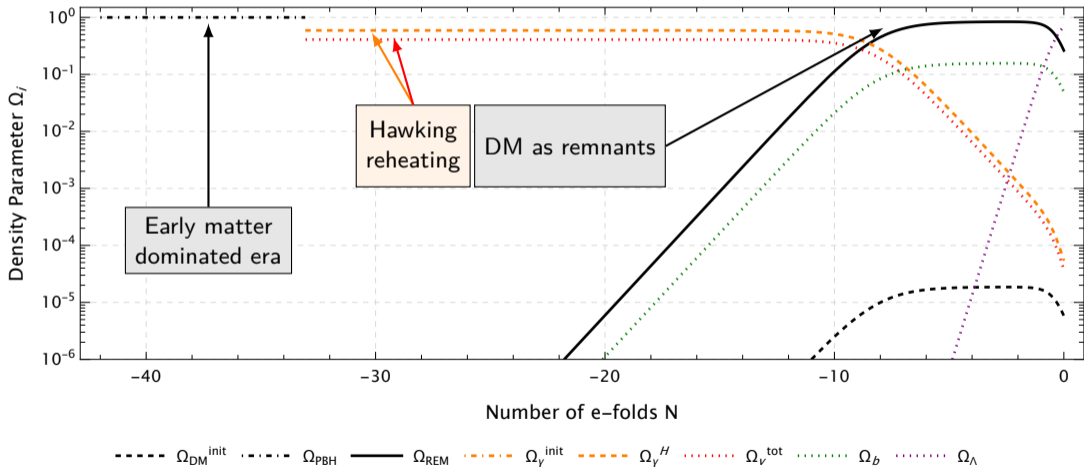


What about the interface between the two regimes,
around $m_{\text{PBH}}^{(i)} \approx 10^3 \text{ kg}$?

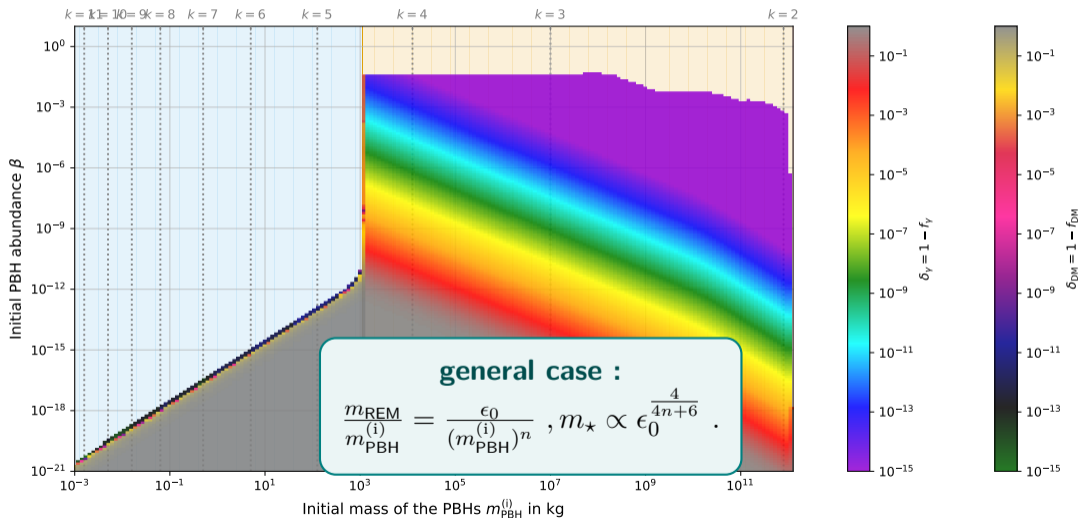
Cosmologies constraints : the sweet spot



$\beta \approx 2 \cdot 10^{-4}$ and $k \geq 3$ gives $\delta_\gamma \approx 10^{-11}$ and $\delta_{DM} \approx 10^{-5}$.



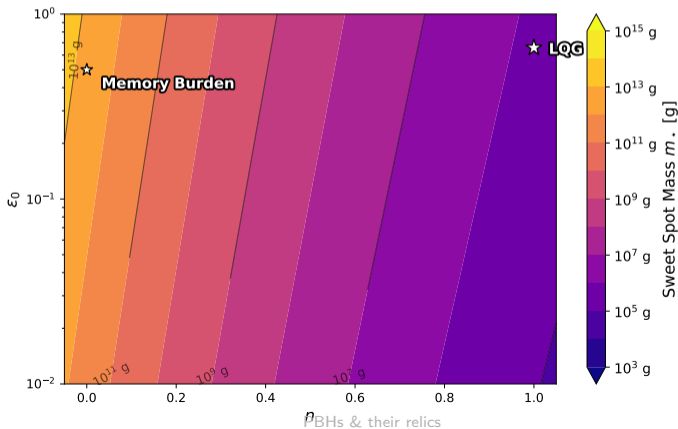
Cosmological constraints : the interface



Other stabilization mechanisms : sweetspot ?



$$\frac{m_{\text{REM}}}{m_{\text{PBH}}^{(i)}} = \frac{\epsilon_0}{(m_{\text{PBH}}^{(i)})^n}, \quad m_{\star} \approx \left[\frac{1}{6\pi \cdot 10^4} \frac{1}{\rho_{\gamma}^{\text{obs}}} \left(\frac{\epsilon_0}{R_{\text{obs}}} \right)^4 \right]^{\frac{1}{4n+6}}, \quad R_{\text{obs}} = \frac{\rho_{\text{DM}}^{\text{obs}}}{\rho_{\gamma}^{\text{obs}}}.$$



Observational signatures

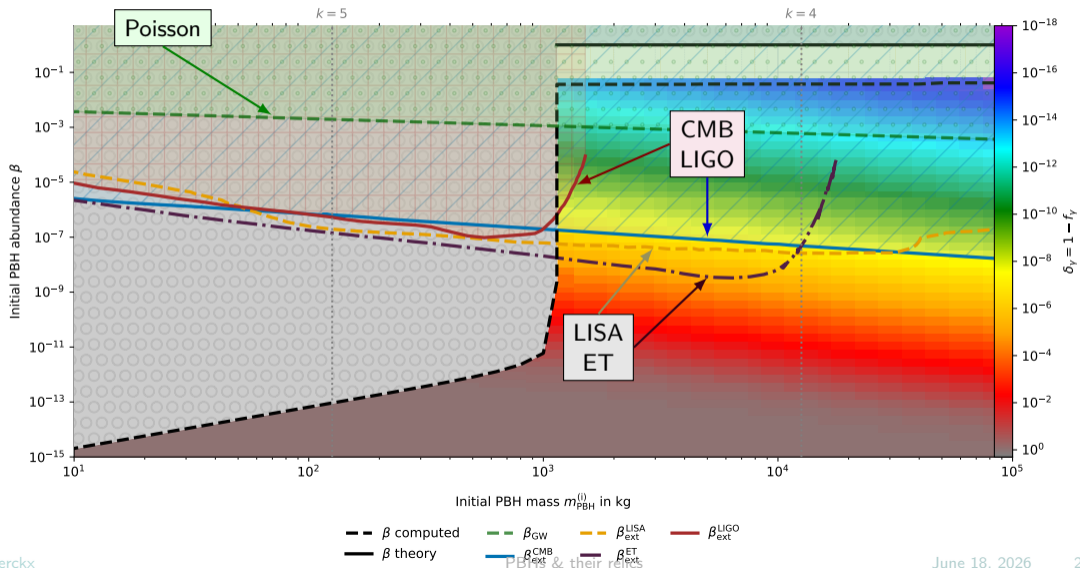


Observational signatures : Overview



1. **Scalar-Induced Gravitational Waves** : large primordial scalar perturbations.
2. **Poisson fluctuations** : if EMD era.
[Papanikolaou, Vennin, Langlois ; 21]
3. **The Poltergeist mechanism** : if monochromatic mass spectrum.
[Bhaumik, Ghoshal, Jain, Lewicki ; 22]
4. **Dark radiation** : from (i) non-thermalized neutrinos (ii) Hawking gravitons.

Observational signatures : the Poltergeist mechanism



Constraints from temperature (regime II)



1. ΔN_{eff} :

Thermalizing neutrinos requires :

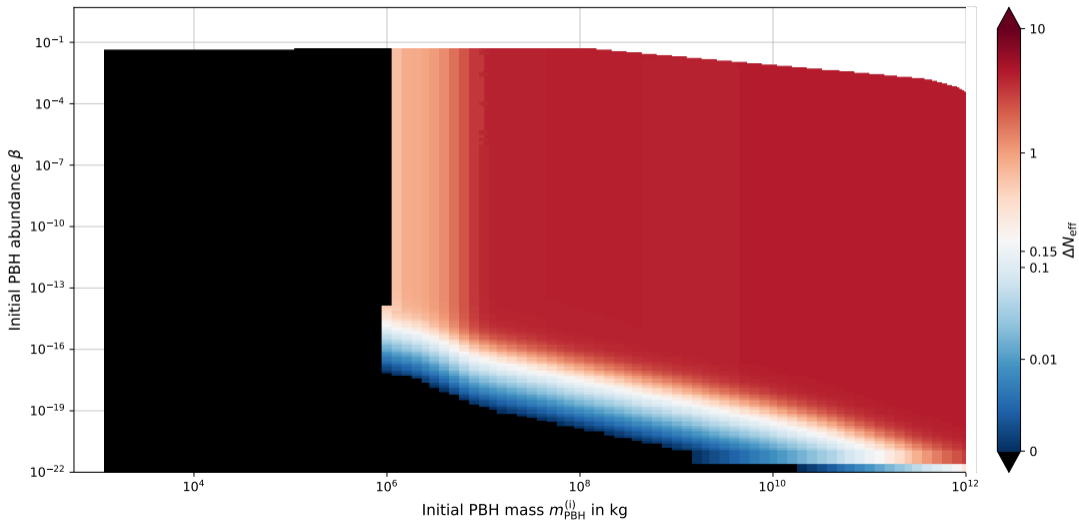
$$\frac{\Gamma_W}{H} \gtrsim 1 .$$

2. Reheating :

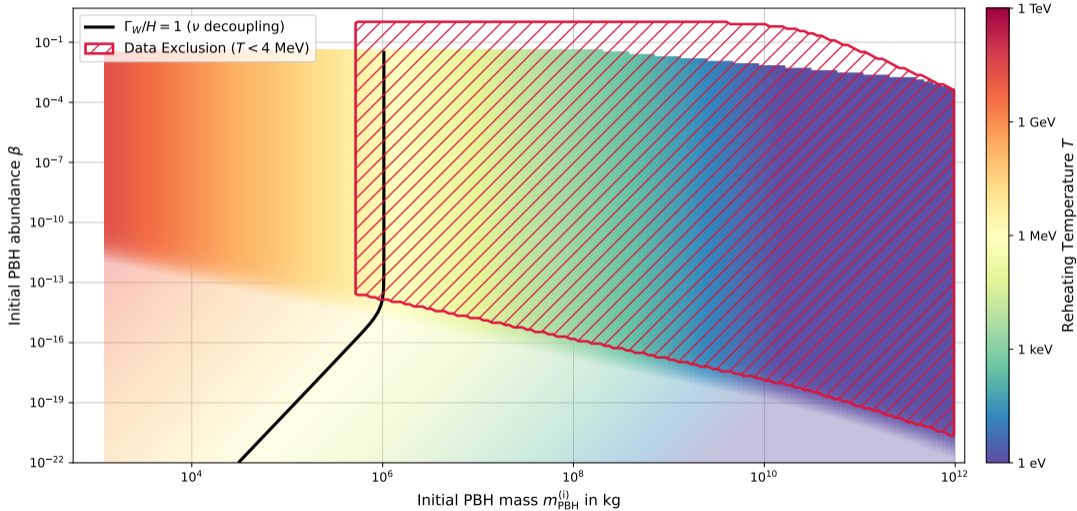
At N_b , injected energy $\rho_{\text{rad}}^{\text{H}} = \rho_{\gamma}^{\text{H}} + \rho_{\nu}^{\text{H}}$. [Hannestad,04]

$$T(\rho_{\text{rad}}^{\text{H}}, g_*) \gtrsim T_{\text{reheat}}^{\text{min}} \approx 4 \text{ MeV} .$$

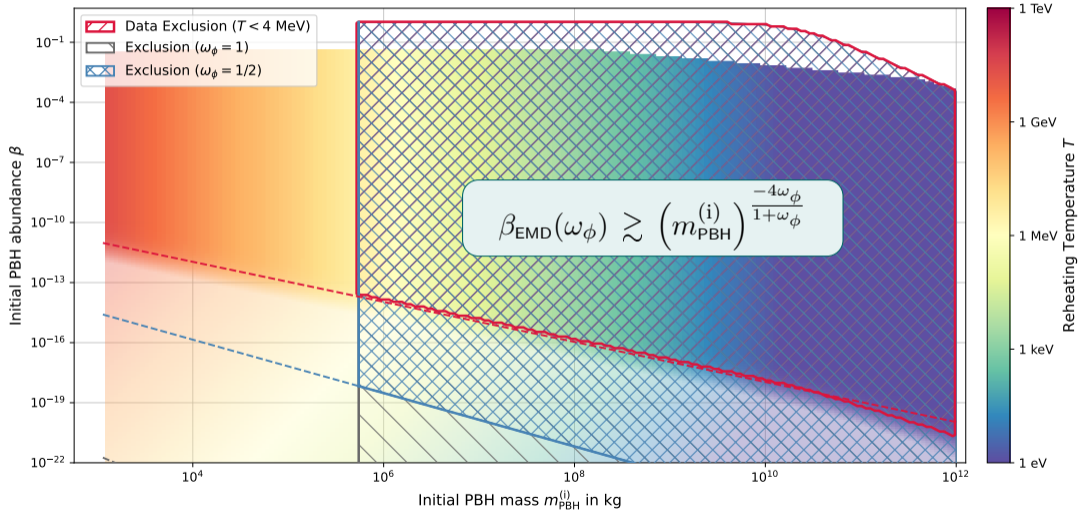
Temperature : ΔN_{eff}



Temperature : Hawking reheating



Temperature : Hawking reheating

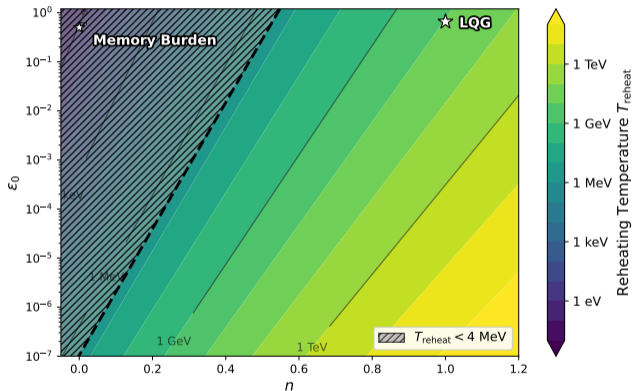


Other stabilization mechanisms : sweetspot ?

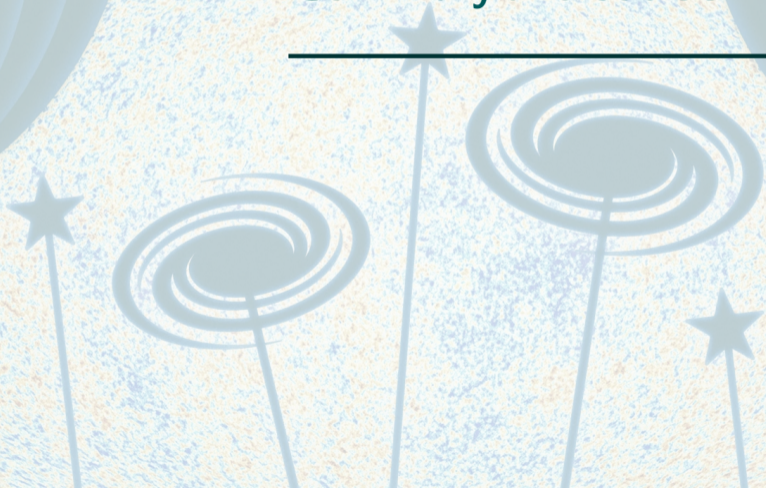


$$\frac{m_{\text{REM}}}{m_{\text{PBH}}^{(i)}} = \epsilon \equiv \frac{\epsilon_0}{(m_{\text{PBH}}^{(i)})^n}$$

Model	ϵ_0	n
LQG	$\sqrt{3\sqrt{3}\gamma}/2 \sim 1$	1
MBe	1/2, 1/3	0



Summary and outlook





Main results

Light PBHs evaporating into stable Planckian remnants offer an alternative DM candidate and reheating mechanism.

1. **Regime I** ($m_{\text{PBH}}^{(i)} \leq 10^3 \text{ kg}$) : remnants can account for 100% of DM ($f_{\text{DM}} \approx 1$), requiring $k \geq 4$.
2. **Regime II** ($10^3 \text{ kg} \leq m_{\text{PBH}}^{(i)}$) : PBHs induce an EMD era ($f_\gamma \approx 1$).

→ At $m_{\text{PBH}}^{(i)} \approx 10^3 \text{ kg}$, PBHs simultaneously generate the entire DM abundance and the background radiation content, **without requiring fine-tuning** for the initial fraction β .



- Extended mass functions : model dependent signatures.
- Finer thermal history : treatment of non-thermalized species, baryogenesis, ...
- Explore bouncing cosmologies.
- Formation mechanisms for 10^3 kg PBHs.
- ...

